Newport CE Junior School

Calculation Policy

Revised February 2015

(Associated Policies: Maths Policy, Mental Maths Policy, Maths Curriculum Policy, Marking Policy, Assessment Policy and Homework Policy)

This policy has been designed to develop fluency, reasoning and problem solving in accordance with the 2014 National Curriculum. It provides a consistent and smooth progression with the four operations.

This calculation policy shows stages in accordance with age related expectations indicated in the 2014 National Curriculum however it is vital pupils are taught according to the stage they are at and move on when appropriate for the individual.

It is important calculations are given a real life context or problem solving approach to develop children's understanding of the purpose of calculation and to recognise when operations and methods are relevant.

THE AIMS OF THIS CALCULATION POLICY

To support consistency in the teaching of written calculation across the school. To strengthen continuity and progression in children's understanding and development of written calculation. To form a core set of methods children will experience and build upon. To embed models and images that develop conceptual understanding. To provide reference and guidance for teachers, teaching assistants, parents and school governors.

SOLVING A CALCULATION

Each classroom displays and promotes use of the RUCSAC process: Read the question; Understand the question; Choose the operation; Solve the question; Answer the question and Check the answer.

USE OF FORMAL AND INFORMAL RECORDING

Children are taught the difference between formal and informal recording and are taught to make decisions between these ways of working when solving problems.

MENTAL, WRITTEN AND CALCULATOR METHODS

See Mental Maths policy for additional guidance. This calculation policy scaffolds the children's progress in their ability to make decisions between mental, written and calculator methods. Calculator skills are taught through Mathematics and ICT, children value the calculator as a mathematical tool.

Addition	Subtraction	Multiplication	Division
Stage A	Stage A	Stage A	Stage A
Counting objects, partitioning and recombining sets using practical apparatus. Understand that the number gets bigger. Addition is commutative. Use number tracks to develop counting skills, forwards and backwards.	Know that the number gets smaller because objects have been removed from the set. Practical models of subtraction Counting back on fingers, orally, number lines. Find the difference, counting on. MODELS AND IMAGES CHARTS	Jumping along number lines in jumps of 1, 2, 5 & 10. Repeated addition, practical demonstrations. (<i>Models and Images charts</i>) Doubles and grouping Grouping is a random arrangement of a quantity into equal groups.	Counting on and back in steps of 1, 2 and 10. Sharing equally and halving objects in practical contexts. Pictorial recording. Grouping, in practical contexts. <u>GROUPING ITP</u>
COUNTING ITPPictorial recording of practical experiences.Teacher modelling of number sentences and addition as commutative. $1 + 1 = 2$ $2 - 1 = 1$ double 1 is 2half of 2 is 1 $2 + 2 = 4$ $4 - 2 = 2$ double 2 is 4half of 4 is 2	(To be used for lots of oral examples) (To be used for lots of oral examples) $5 + i^2 = 10$ $10 - 5 = i^2$ $6 + i^2 = 10$ $i^2 + 6 = 10$ $10 - 6 = i^2$ $10 - 4 = 6$ $9 + i^2 = 10$ $i^2 + 9 = 10$ $10 - 2 = i^2$ $10 - 2 = 9$	Arrays are a rectangular arrangement to show the equal groups. Image: Constraint of the equal groups of the equal gr	Use cross curricular links (PE) and purposeful objects such as sock and shoes/ animals in the ark to get into groups. Sharing models such sharing an apple or a Satsuma. How many cars can you make if you have 8 wheels?









7 + 8 = 8 + 8 - 1 = 15		
Decision making		
Using statements such as	click row or column markers to build up a number line as each row or column is coloured	
Ben did 14 + 9 = 23 How could he have done it?	la the exemple plays with 5 mm and 0	
To know that the = sign means 'the same as' and can appear in a different place within a calculation; 14 = 8 + 6, 7+6=8+5	columns, when you select to count along the columns the given calculation is: $5 \times 9 = 45$ [the 5 is multiplied by 9]. Selecting to count along rows gives: $9 \times 5 = 45$ [the 9 is multiplied by 5].	





Decision making (mental, jottings,	Find the difference (counting on to the	
numberline)	right)	
Otatawanta and unad unad lana	ngin)	10 2 2 2 1
Statements and word problems.		\frown
	55 – 27 = 28	
		O 50 60 70 80 85
		or
	"How many more do I need to add to 27 to get	
	to 55?"	40 0 4
		10 0 1
	+3 +20 +5	\bigcirc
		0 50 80 85
	27 30 50 55	
		Decision making
	Subtract mentally pairs of multiples of 10	Children investigate statements and solve
	and 400 using language facto	word problems using appropriate methods
	and 100, using known facts	word problems using appropriate methods
		such as mental/ jottings/ numberline.
	60 - 20 = 40 because $6 - 2 = 4$	
	700 - 300 = 400	
	Continue to use the vertical number line	
	Continue to use the vertical number line.	
	Use of apparatus (Diennes) to understand	
	rearrangements, e.g. 55 as 40 and 15, not	
	as part of calculations.	
	BEADSTICKS ITP to be used with Diennes	
	to develop concept of exchange	
	to develop concept of exchange.	
	(Decideticle and other places using ITDO)	
	(Beadstick and other place value ITPS)	
	Decision making	
	Statements and word problems.	









12:45 7:36 <u>+ 24:50</u> 0:11 1:20 13:00 <u></u>	+4 +10 +654 86 90 100 754 Decomposition (Continue with Diennes and/or money as appropriate)	346 <u>x 9</u> 54 (9 x 6) 360 (9 x 40) <u>2700</u> (9 x 300) <u>3114</u>	and a remainder of 1. Use problems in contexts that require the answer to be rounded up or down following the remainder. Eg 35 children to sleep four to a tent. How many tents do we need? Continue to use partitioning/re- arranging method
NUMBER BOARDS	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	Decision making Children investigate statements and solve word problems using appropriate methods. Children are also given examples of x9 and encouraged to think about using methods such as x10 and subtracting x1.	$69 \div 3 =$ "What do I know about 3 x tables?" "I know 3 x 10 = 30." $30 30 9$ $\downarrow \downarrow 10$ $10 10 3$ $69 \div 3 = 23$ or $30 \div 3 = 10$ $9 \div 3 = 3$ $69 \div 3 = 23$ Fractions relate to division. $\div 4$ is the same as halve and halve again. Recognise that division is non-commutative. Know that a number cannot be divided by 0. Begin to use chunking method for TU by U division (additive chunking/chunking up). $96 \div 6$ "What do I know? 6 x 10 = 60"

	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
Emphasis on language of place value, i.e. 14 units subtract 6 units, 14 tens subtract 8 tens, and 6 hundreds	
subtract 2 hundreds.	10 5 1
	0 60 90 96 96 ÷ 6
	Set up partial multiple table: $1 \rightarrow 6$
	$\begin{array}{c} 2 \rightarrow 12 \\ 4 \rightarrow 24 \\ 10 \rightarrow 60 \\ 5 \rightarrow 30 \end{array}$
	leads to
	60 (10) <u>+ 30 (5)</u> 90 <u>+ 6 (1)</u> 96
	96 ÷ 6 = 16

Addition	Subtraction	Multiplication	Division
Stage F	Stage F	Stage F	Stage F
Add with increasingly large numbers using the compact method. Extend methods to include decimals to two decimal places.	Subtract with increasingly large numbers using the compact method. Extend methods to include decimals to two decimal places.	Th HTU, HTU, TU x TU and U 28×27 $\boxed{20 8}{20}$ Addition to be done mentally or across followed by column addition 28×27 $56 (7 \times 8)$ 140 (7 × 20) 160 (20 × 8) 400 (20 × 20) 756 $28 \times 27 = 756$ Multiply in different contexts 2.73×3 $2.73 \times 3 = 273p \times 3$ $\boxed{\frac{x 200 70 3}{3}}$ Followed by appropriate addition calculation. $273p \times 3 = 819p$ $= £8.19$	Know division facts corresponding to tables up to 12×12 and be able to apply them. Use the relationship between multiplication and division. Extend chunking method to include ThHTU by U, with an integer remainder. Dividing up to 10,000 by 10/100. Check with inverse operation. Use of calculator. Use the number line to find remainders and express the quotient as a fraction or decimal. DIVISION WITH REMAINDERS PPT (example given below) $17 \div 5$ "What do I know? 17 is not a multiple of 5". $0 \times 0 \times$



	Examples: 24x99 could be done using the grid method, but could also be calculated by x100 and subtracting 24x1. 24 x25 could be done using the grid method, but could also be calculated by 24x100, halving to find x50 and halving again to find x 25. or using doubling and halving, 24 x25=12x50 =6 x100	(OVERCOMING BARRIERS) Level 4 to Level 5 – Questions.) Word problems, e.g. 200 people attended a concert. $1/_5$ of the people had complimentary tickets. The rest paid £7.50 each. How much money was collected from selling tickets? Money and measures, e.g. Which is longer: $3/_4$ of an hour or 2500 seconds? Partitioning method for HTU. 847 = 7
		847 \div 7 "What do I know? I know 7x12 = 84 so 7 x120 = 840" 847 840 7 \downarrow \downarrow 120 1 847 \div 7 = 121
		 (OVERCOMING BARRIERS Level 4 to Level 5 typical questions) Work out 575 ÷ 25, explaining your method. Peter says that, if you want to divide a number by 12, you can divide it by 4 then by 3. Is he right? Explain how you know. Work out 768 ÷ 12 using Peter's method and using another method. Do you get the same answer? How many 35p packets of stickers can I buy with £5? Explain how you know.

	Coaches have 56 seats for passengers. How many coaches are needed to take 275 people on a trip?
	Complete this calculation: $943 \div 41 = 2$
	Work out whether or not 29 is a factor of 811.

Addition	Subtraction	Multiplication	Division
Stage G	Stage G	Stage G	Stage G
Promote decision making so that pupils choose an appropriate method/strategy.	ThHTU – ThHTU then any number of digits.	ThHTU x TU and HTU x TU and including decimals.	Know all multiplication facts and corresponding division facts to 12 x 12 and beyond and be able to apply them.
and number lines.	Money, measures and real life contexts.	78	Explain the effect of dividing by1000. Extend methods to include Th HTU by TU.
Ensure understanding of standard written method.	6467 – 2684	<u>x 42</u> 16 (2 x 8) 140 (2 x 70)	Continue to use the short division method when the two digit divisor is up to 12 or is a
Continue ThHTU + ThHTU then calculations with any number of digits.	5131 6 #67 <u>- 2684</u> 2702	320 (40 x 8) +2800 (40 x 70) _3276	easily recognisable multiple eg 20, 25 or 50. Use a calculator appropriately,
Approximate using the most significant digits and a feel for the 'whole' number.	3783	Compact (long)	Use of calculator for interpreting the quotient by entering a fraction to find the
Appropriate teaching/use of the calculator including interpreting the display, e.g. money or measures	324'9 – 7'25	<u>x42</u> 156 +3120	decimal equivalent. Mathsonline.org-long division
Calculator display 0.37 is then interpreted as 37p in the context of	324,90 <u>- 7,25</u> <u>317,65</u>	3276	Use long division only with pupils who are secure with number sense and place value.
money. Remind $4p = 0.04$ Calculator display £1.4 is interpreted as £1.40 7648	13 6 - 28 =	Involve decimals, money and measures through approximation and appropriate use of the calculator.	384 ÷ 16 "What do I know about the divisor?" Record partial tables.
Decimal points are fixed on the line with digits in the squares.	+02 +106	Addition either mentally or by column addition.	
Decimals, fill 'empty columns' with zeros.	13.6 – 2.8 = 10.8		
Decimal points are fixed on the line with digits in the squares. Decimals, fill 'empty columns' with zeros.	28 3 136 136 - 28 = 108	addition.	

124'9 + 7'25	leading to	Decimals. Teach children how to use known facts to build new facts	Long division	(thinking not generally recorded)
124 [.] 90 + 7.25 422.45	+0.04 +0.2 +11.6	e.g. 3x4 = 12	_ <u>_24</u> 16) 38 ⁶ 4	(38÷16=2 r 6; 2x16=32)
<u>132 15</u> 11	2.76 2.80 3 14.6	3x0.4 = 1.2 3x0.04 = 0.12	- <u>32</u> √	(bring the 4 down)
		0 75 x 6	64	(16 into 64=4; 4x16=64)
		$0.7 \times 6 = 4.2$	- <u>64</u>	
		0.05 x 6 = 0.3 0.75 x 6 = 4.5	0	(no remainder)
		Grid method based upon very secure place value.	Continue to make u the number line for	se of partitioning and repeated addition where
		6	appropriate. 944 ÷ 22 =	
		Overcoming Barriers L4/5	What do I know abou	It the divisor?
		Mike works out that $14 \times 12 = 168$. What is 14×1.2 ? How do you know?		
		Use a written method to calculate 24×13 . What do you need to change to show a similar method to work out 2.4×132	Overcoming Barriers	L4/5
		Use a written method to find the area of a	Division giving a decir by 5 giving your answ	imal answer, e.g. Divide 9 ver as a decimal.
		swimming pool which is 25 m long and 7.5 m wide.	Missing number calc $\div 8 = 0.04;$	ulations, e.g.
		Complete the missing sections to work out 35 × 2.1 :	0.6 × = 4.2	
		X 0.1		
		5 0.5		